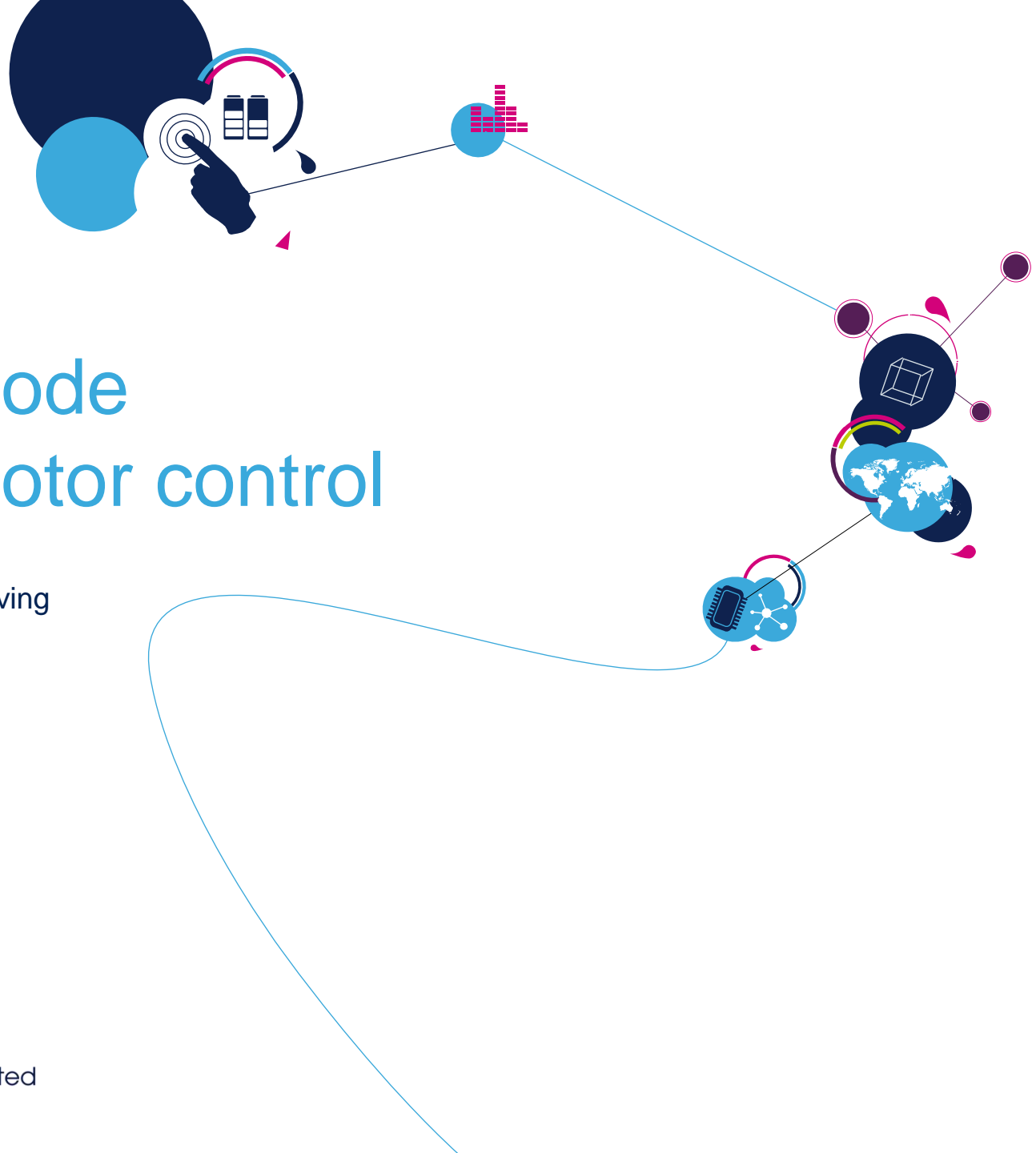


# Voltage mode stepper motor control

Smooth stepper motor driving

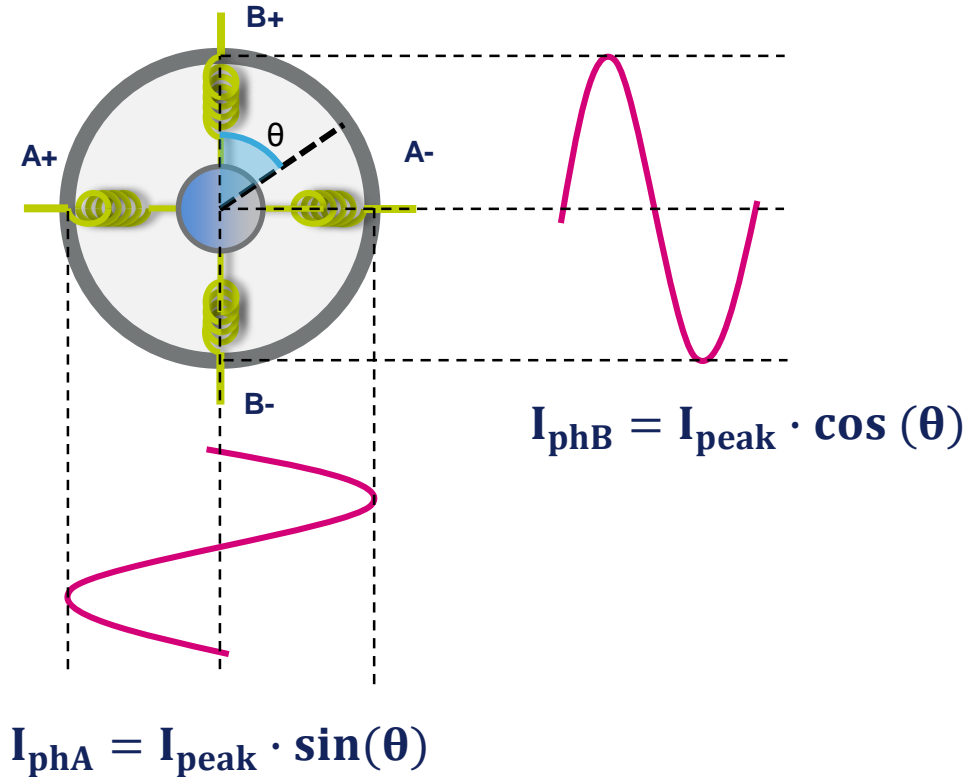


# Microstepping in stepper motors

The microstepping driving of the stepper motors is based on the following principle:

Applying two sinusoidal currents at the motor phases with a phase relation of  $90^\circ$  (sine and cosine), it is possible to align the stator magnetic field in any possible direction.

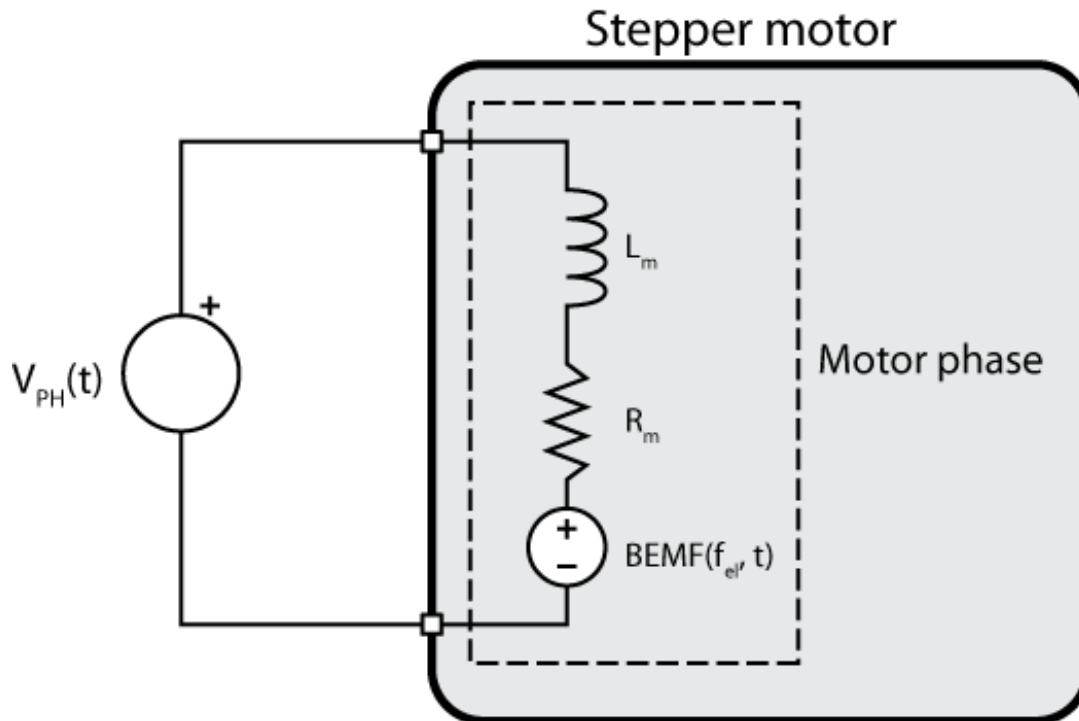
**The voltage mode driving is designed to achieve this with the maximum effectiveness.**



# Voltage mode basics

Voltage mode is based on the linear model of stepper motors.

If a **voltage sinewave** is applied to a stepper motor phase the **resulting current is sinusoidal too**.



# Voltage mode vs. Current mode

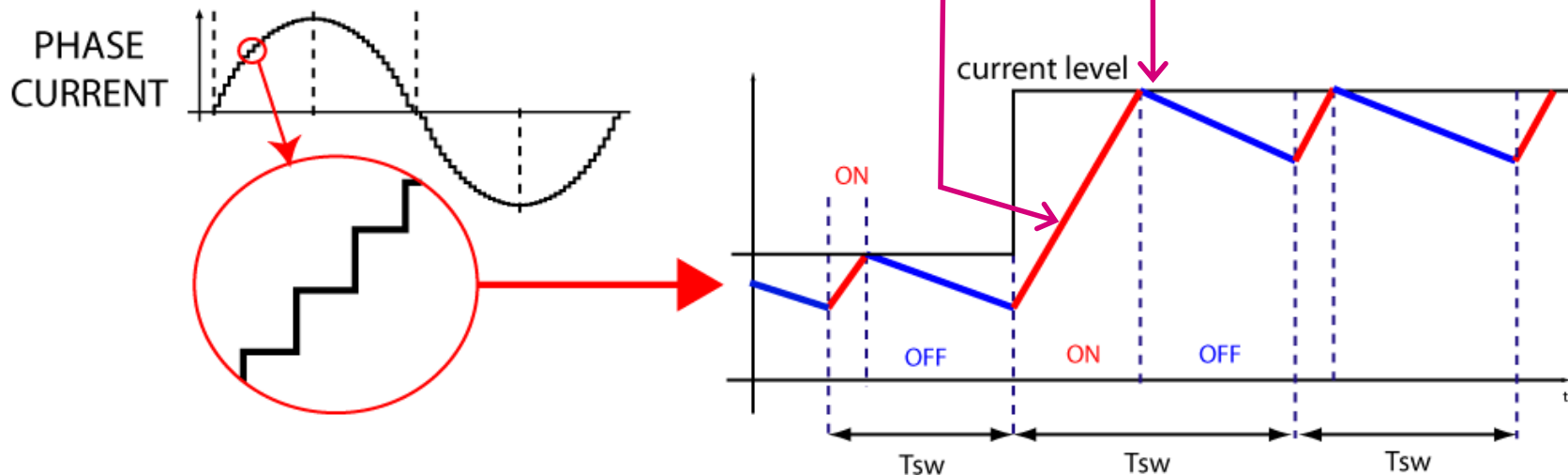
## Current mode driving

Abrupt current changes cause strong mechanical vibrations.  
Current mode tries to follow even non idealities  
(reference quantization and sampling)

**Noisy and jerky motion.**

Peak current is controlled.  
Average current value is  
different from target one.

**Inaccurate positioning**



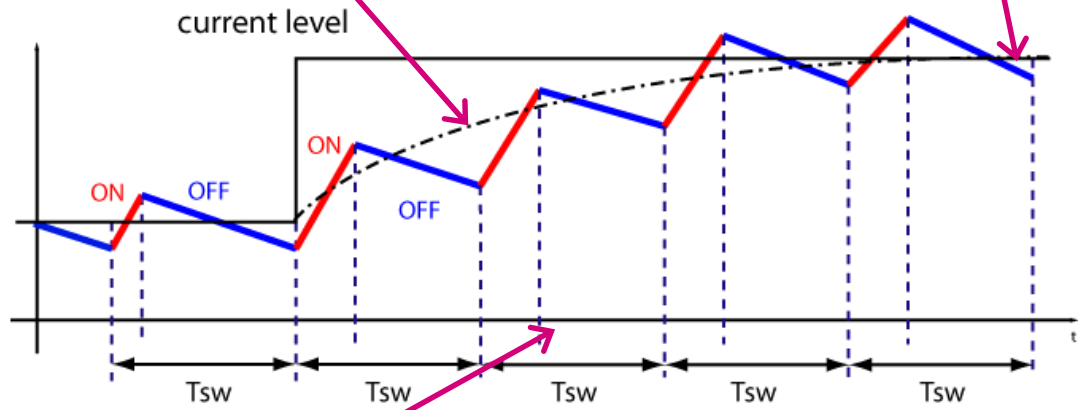
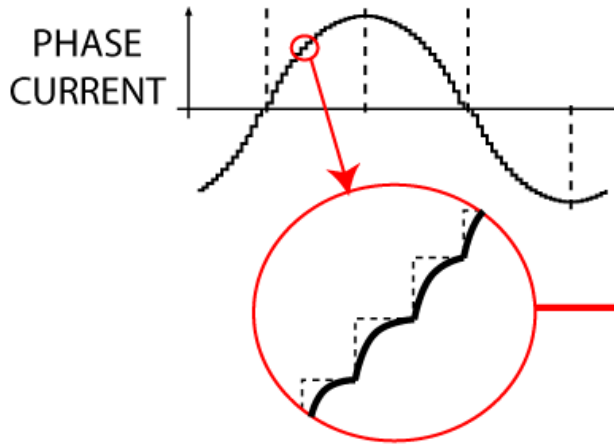
Non-constant switching freq.  
**Torque ripple is difficult to control.**

# Voltage mode vs. Current mode

## Voltage mode driving

Smooth current transient reduces mechanical vibrations.  
**Motor movement is soft and silent.**

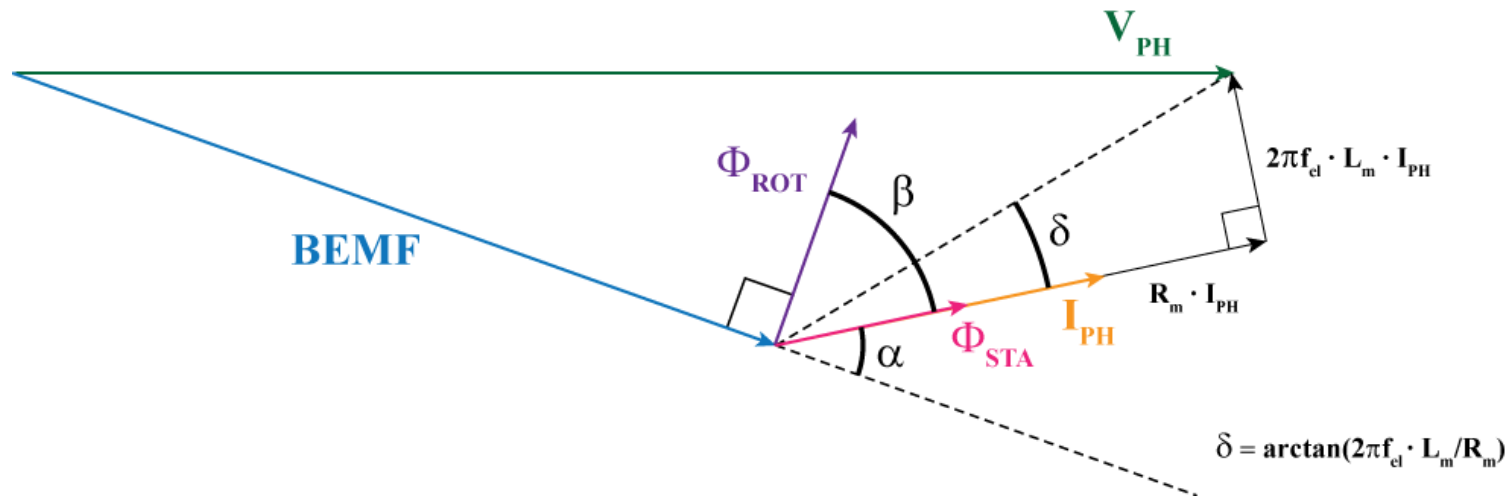
Average current is controlled.  
**Accurate positioning.**



Constant switching freq.  
**Torque ripple is under control.**

# Voltage mode basics

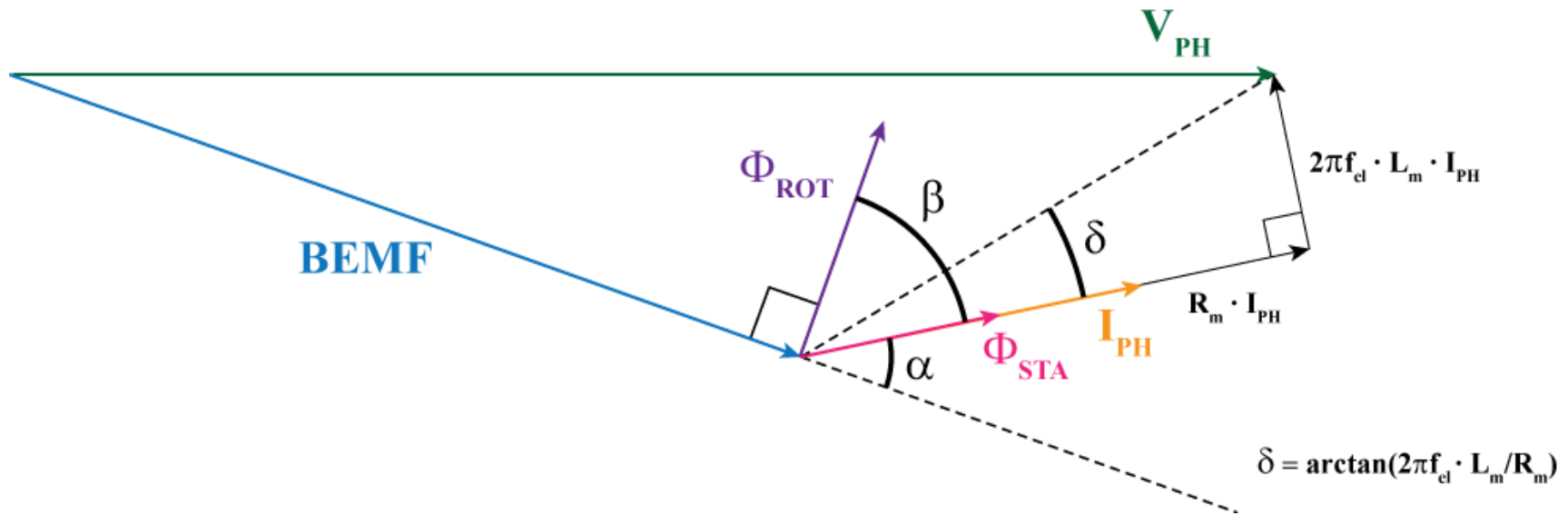
6



When a voltage sinewave with amplitude  $V_{PH}$  is applied to the motor, the amplitude of the resulting current ( $I_{PH}$ ) depends on:

- Motor electrical parameter
- **BEMF voltage**
- **Sinewave frequency** (i.e. the motor speed)
- The phase relation between rotor and stator magnetic field (i.e. the torque)

# Voltage mode basics



The equation that relates the phase voltage and the phase is complex:

$$|V_{PH}|^2 = (R_m^2 + (2\pi f_{el})^2 \cdot L_m^2) \cdot |I_{PH}|^2 + (k_e \cdot f_{el})^2 +$$

$$-2\cos(\pi - \alpha - \arctan(2\pi f_{el} \cdot L_m / R_m)) \cdot |I_{PH}| \cdot (k_e \cdot f_{el}) \cdot \sqrt{R_m^2 + (2\pi f_{el})^2 \cdot L_m^2}$$

**ST's patent simplifies the relation allowing a practical implementation of the algorithm.**

The system discriminates two cases:

1. When the motor speed (proportional to  $f_{el}$ ) is low
2. When the motor speed (proportional to  $f_{el}$ ) is high

$$|V_{PH}| = \begin{cases} R_m \cdot |I_{PH}| + k_e \cdot f_{el} & \text{for } 2\pi f_{el} \ll R_m/L_m \\ 2\pi f_{el} \cdot L_m \cdot |I_{PH}| + k_e \cdot f_{el} & \text{for } 2\pi f_{el} \gg R_m/L_m \end{cases}$$



# Voltage mode basics

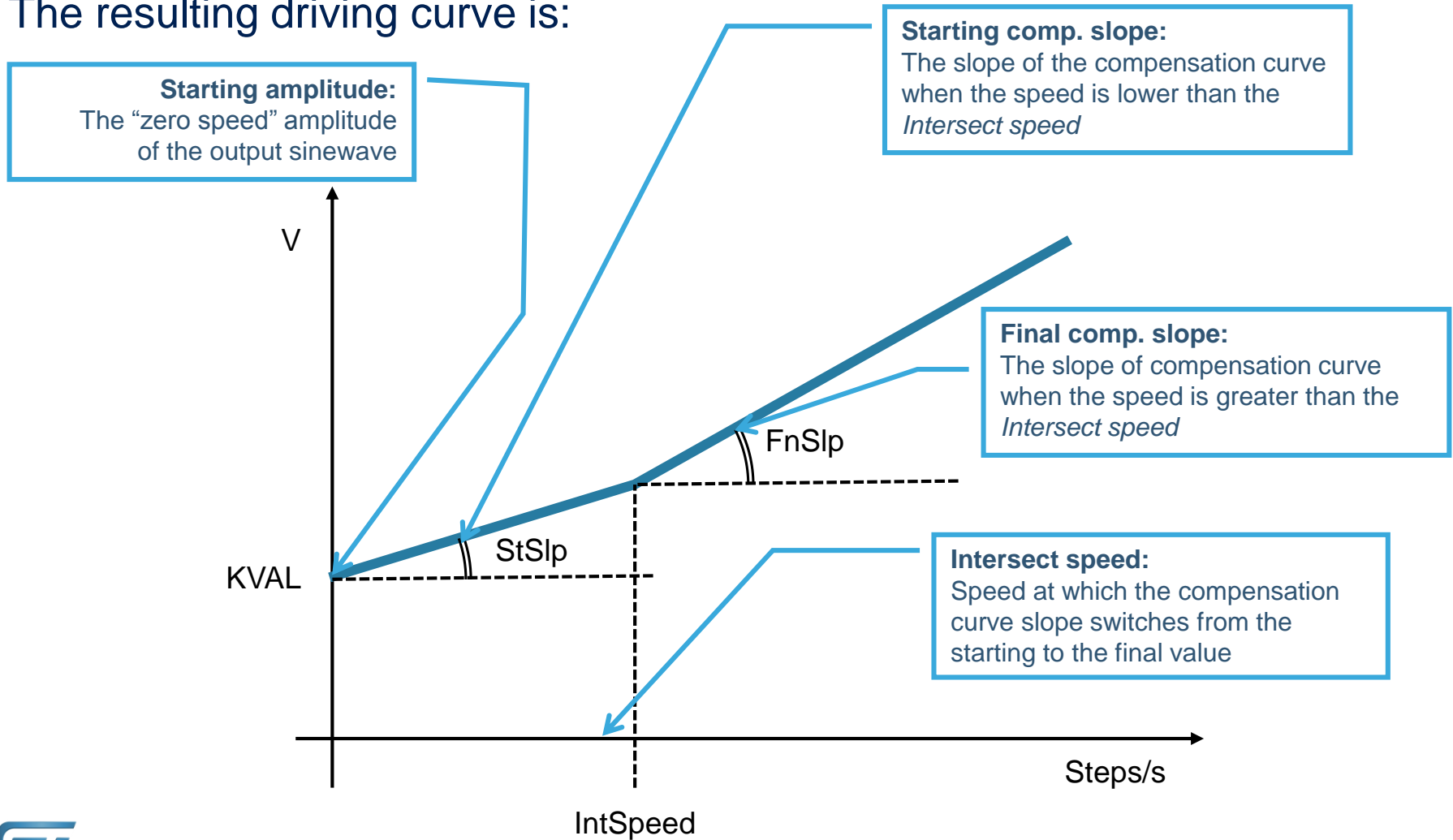
The control algorithm can be defined through 4 parameters:

$$|V_{PH}| = \begin{cases} \mathbf{KVAL} + \mathbf{StSlp} \cdot \text{Speed} & \text{for Speed} \leq \mathbf{IntSpeed} \\ \mathbf{FnSlp} \cdot \text{Speed} & \text{for Speed} > \mathbf{IntSpeed} \end{cases}$$

Par	Description	Formula	Unit
KVAL	Voltage applied at zero speed	$R_m \cdot  I_{PH} $	V
IntSpeed	Motor speed discriminating the slow and the fast region	$4 \cdot R_m / 2\pi L_m$	steps/s
StSlp	Compensation slope used in the slow region	$\frac{k_e}{4}$	V/(steps/s)
FnSlp	Compensation slope used in the fast region	$\frac{2\pi L_m \cdot  I_{PH}  + k_e}{4}$	V/(steps/s)

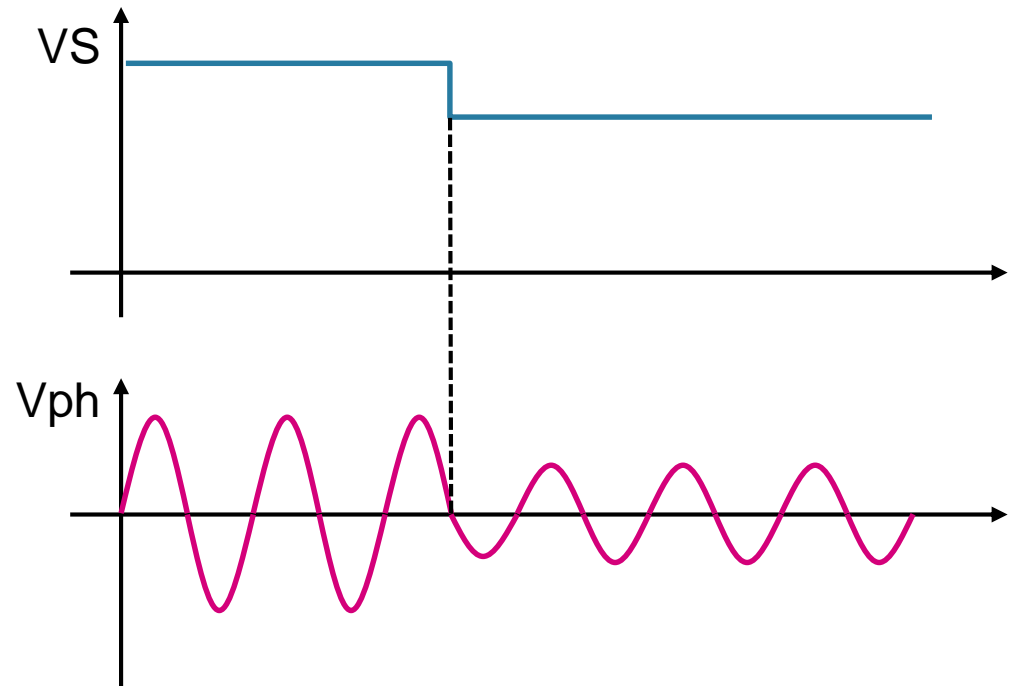
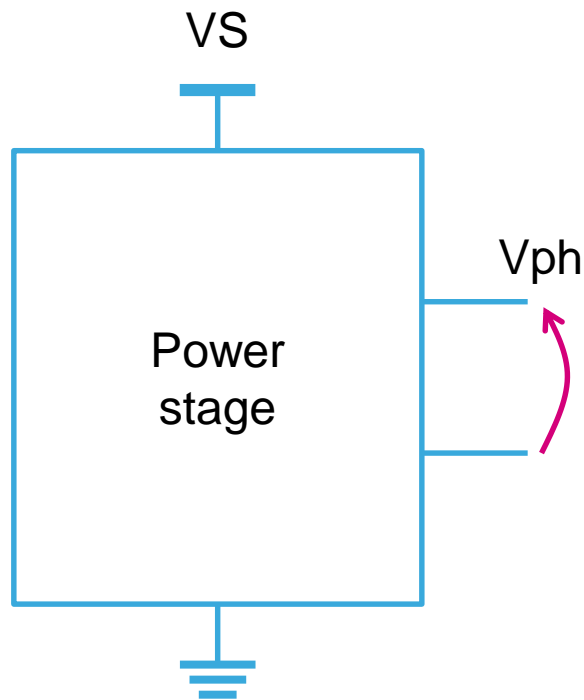
# Voltage mode basics

The resulting driving curve is:

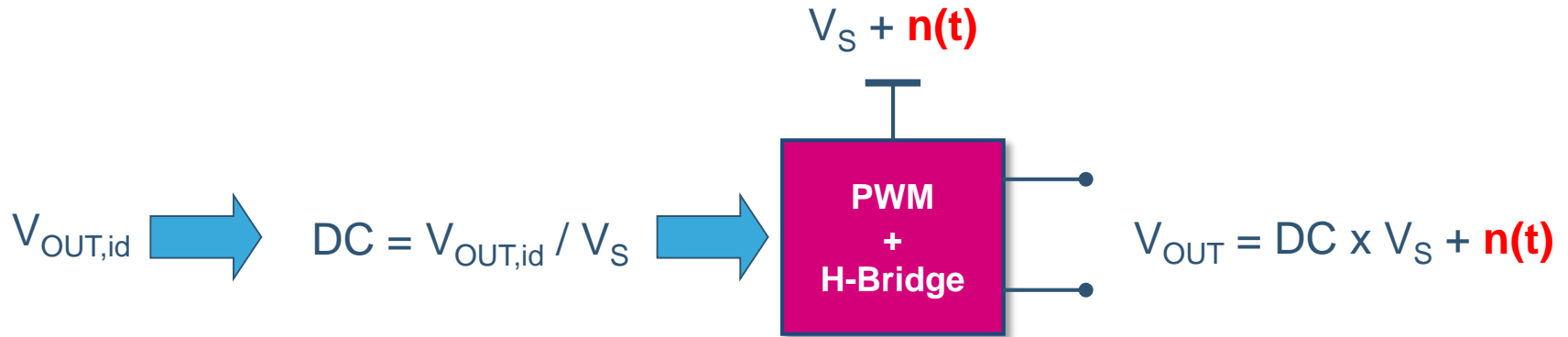


# Supply voltage compensation

The voltage sinewaves are generated through a PWM modulation. As a consequence, the actual phase voltage depends on the supply voltage of the power stage.



# Supply voltage compensation



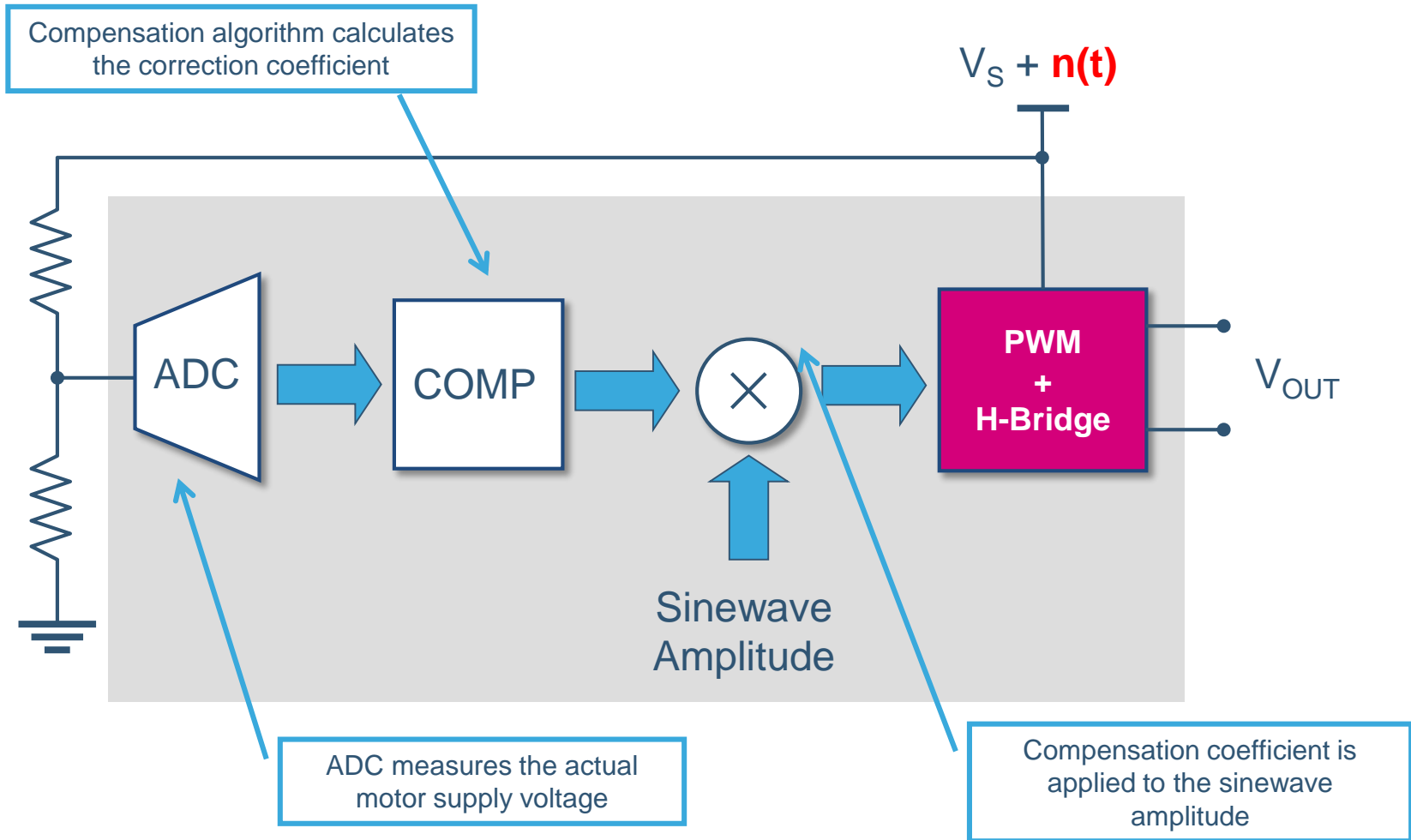
The equation can also be written in this form:

$$V_S + n(t) = V_S \times (1 + n(t) / V_S) \rightarrow V_{OUT} = DC \times V_S \times \underline{(1 + n(t) / V_S)} = DC \times V_S \times \epsilon$$

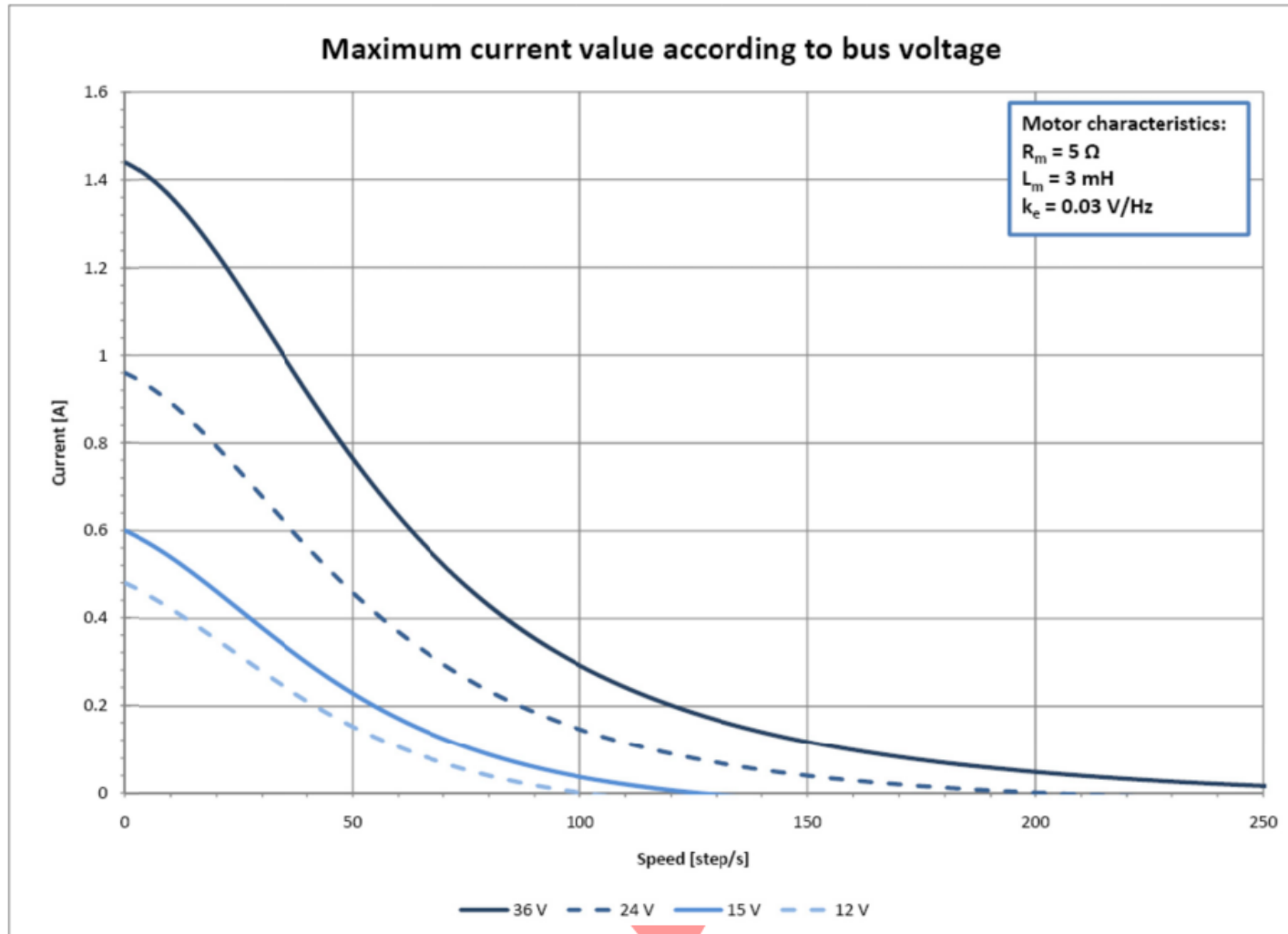
If a compensation factor is applied to the Duty Cycle, the error can be canceled:

$$V_{OUT} = DC \times \underline{1/\epsilon} \times V_S \times \epsilon = V_{OUT,id}$$

# Supply voltage compensation

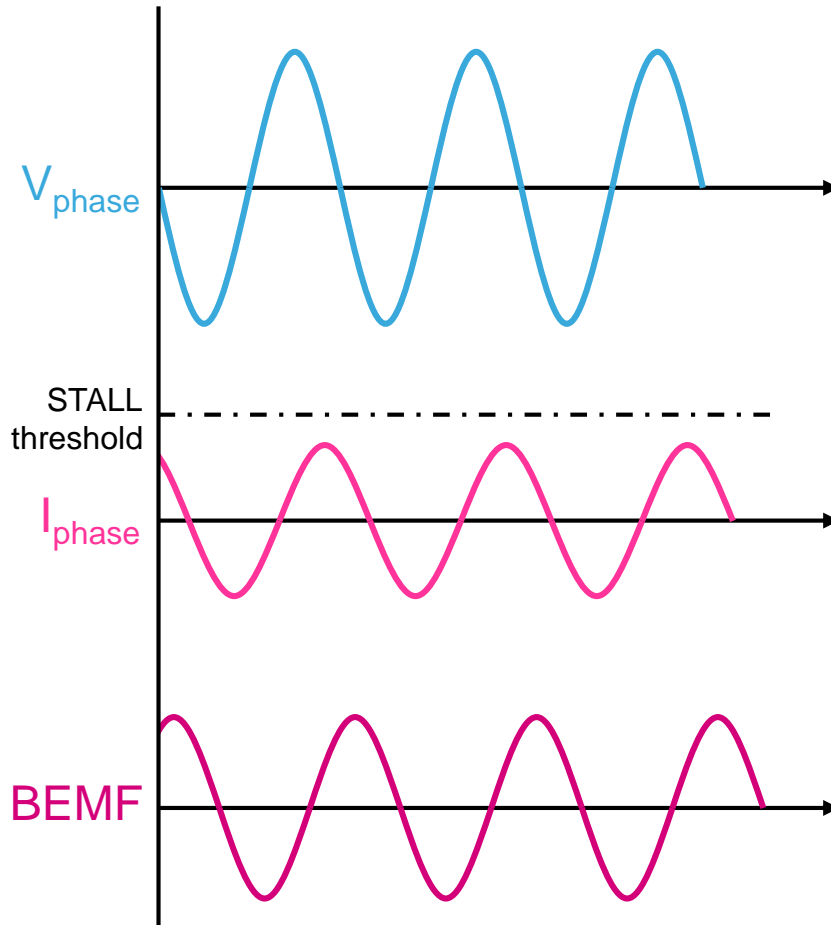


# Maximum output current vs supply voltage

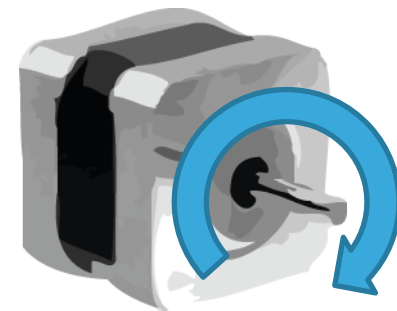


# Sensorless stall detection

The voltage mode driving makes the detection of the **stall** condition easier.

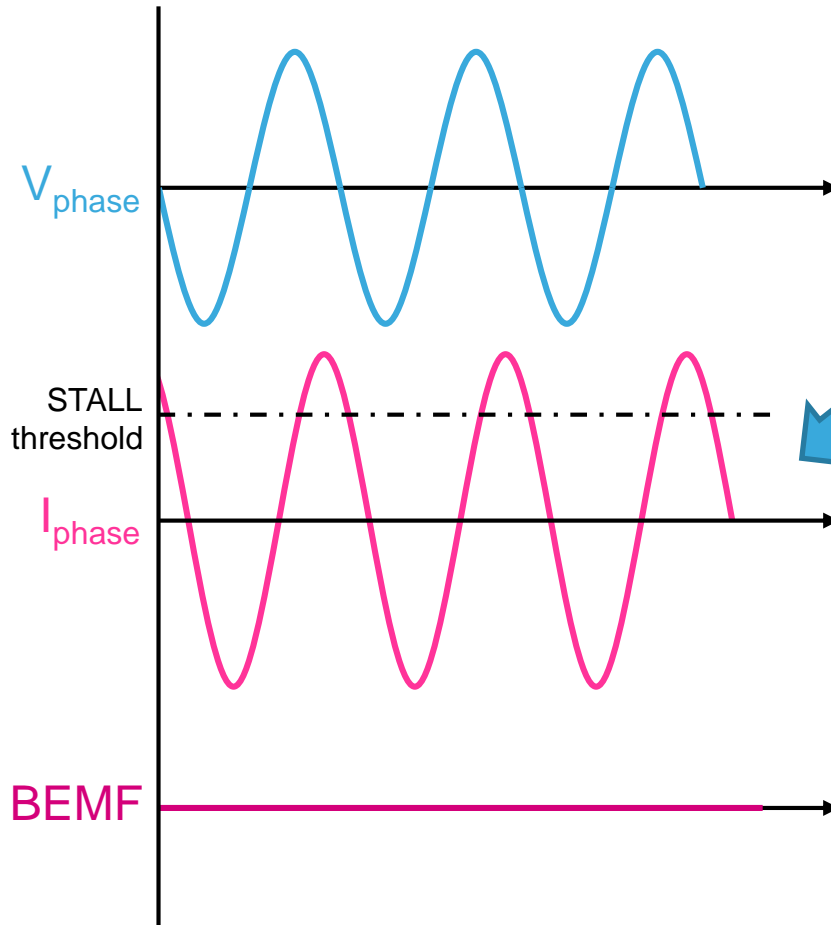


Normal operation

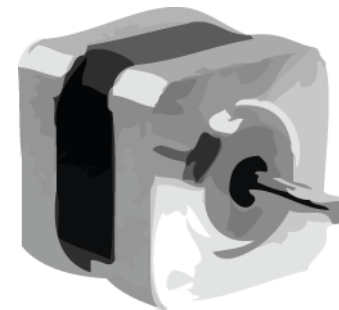


# Sensorless stall detection

By measuring the phase current, it is possible to determine the stall condition of the motor:



**STALL!**  
BEMF is null and  
current is suddenly  
increased





# Sensorless stall detection limitations

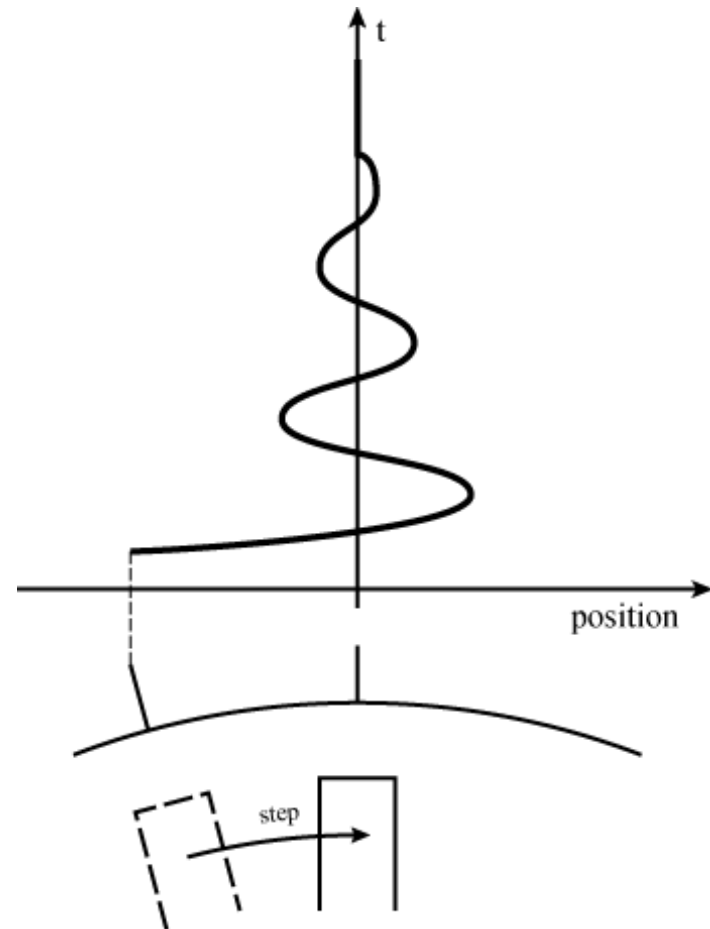
Stall detection performances can be reduced in the following conditions:

- **Low speed**  
(negligible BEMF value)
- **High speed**  
(current can be low because the low-pass filtering effect of the inductor)

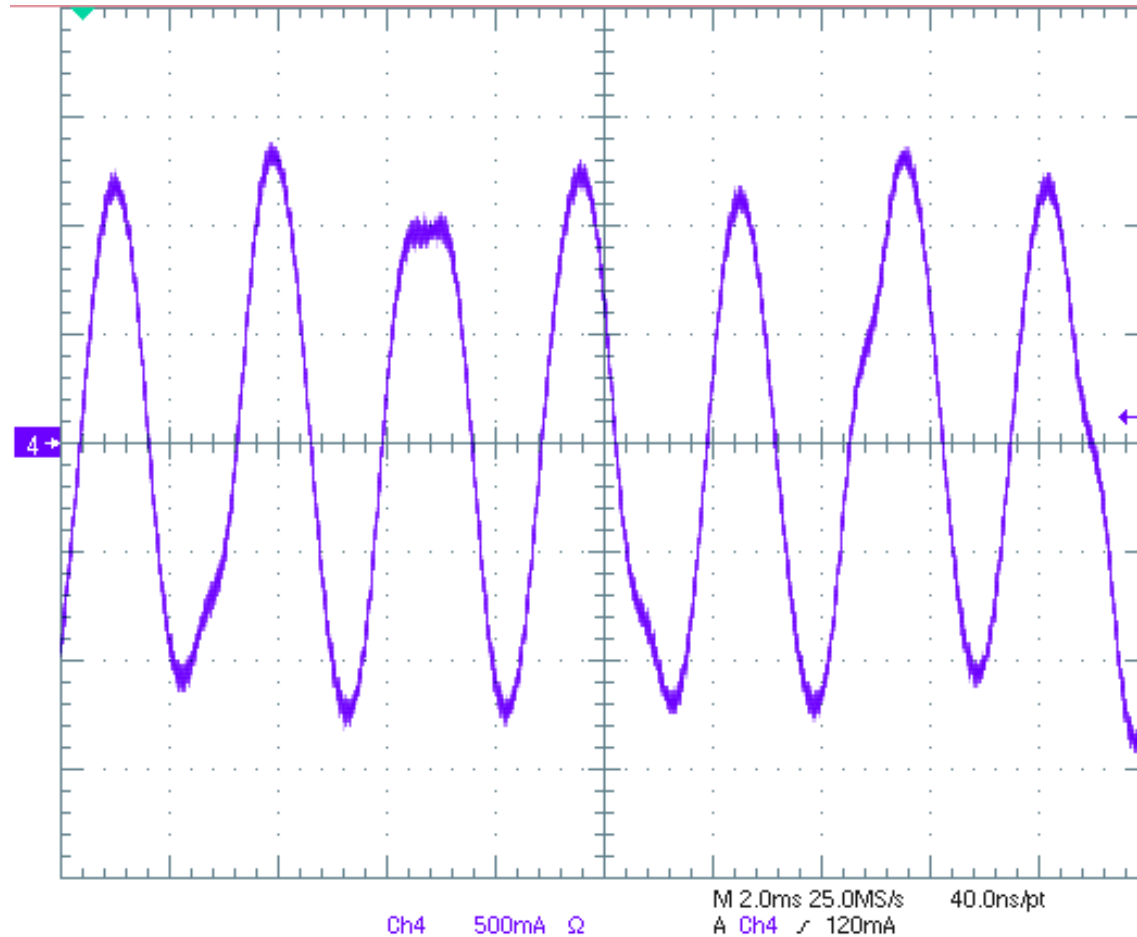
# Voltage mode and motor resonances

Stepper motor motion is not uniform and this behavior can make the mechanics resonate.

When this occurs, the **BEMF voltage is no longer sinusoidal** causing issues in the control algorithm.



# Voltage mode and motor resonances



# Voltage mode and motor resonances

Motor resonances can be avoided by using following strategies:

- 1. Applying a mechanical load to the motor**

The load shifts the resonance spot of the system.

- 2. Increasing acceleration to skip resonance spot**

If the resonance speed is a limited range of the motor, you can skip it using the motor inertia and higher acceleration values.

# Voltage mode advantages summary

The main **advantages** of the voltage mode are:

- Extreme smoothness
- Precise positioning (control of the average current)
- Controlled current ripple
- Stall condition is easy to detect

Main **drawbacks** are:

- Algorithm must be tuned according to motor characteristics
- Sensitive to the motor resonances